

SLOVENSKÁ TECHNICKÁ UNIVERZITA V BRATISLAVE  
Fakulta elektrotechniky a informatiky  
Ústav elektroniky a fotoniky

# Application of $I_{DDT}$ Test in SRAM Arrays Towards Detection of Weak Opens

Aplikácia  $I_{DDT}$  testu na pokrytie prerušení v SRAM poliach

Autoreferát dizertačnej práce  
na získanie vedecko-akademickej hodnosti Philosophiae Doctor (PhD.)

v odbore doktorandského štúdia: 26-13-9 **Elektronika**  
v špecializácii: **Mikroelektronika**

Evidenčné číslo: FEI-10843-10437

autor: Ing. Gábor Gyepes  
školiťka: prof. Ing. Viera Stopjaková, PhD.

Bratislava, máj 2014

Dizertačná práca bola vypracovaná na Ústave elektroniky a fotoniky Fakulty elektrotechniky a informatiky Slovenskej technickej univerzity v Bratislave.

doktorand: **Ing. Gábor Gyepes**

Ústav elektroniky a fotoniky  
Fakulta elektrotechniky a informatiky  
Slovenská technická univerzita v Bratislave  
Ilkovičova 3, 812 19 Bratislava

školiťka: **prof. Ing. Viera Stopjaková, PhD.**

Ústav elektroniky a fotoniky  
Fakulta elektrotechniky a informatiky  
Slovenská technická univerzita v Bratislave  
Ilkovičova 3, 812 19 Bratislava

oponenti: **doc. RNDr. Elena Gramatová, PhD.**

Fakulta informatiky a informačných technológií  
Slovenská technická univerzita v Bratislave  
Ústav počítačových systémov a sietí  
Ilkovičova 2, 842 16 Bratislava

**doc. Ing. Jiří Jakovenko, PhD.**

Fakulta elektrotechnická  
České vysoké učení technické v Praze  
Katedra mikroelektroniky  
Technická 2, 166 27 Praha 6

Autoreferát bol rozoslaný dňa: .....

Obhajoba dizertačnej práce sa koná dňa ..... o ..... hod. na  
Fakulte elektrotechniky a informatiky Slovenskej technickej univerzity, Ilkovičova  
3, 812 19 Bratislava, pred komisiou pre obhajoby dizertačných prác v odbore  
doktorandského štúdia 26-13-9 Elektronika.

Predseda odborovej komisie  
prof. Ing. Daniel Donoval, DrSc.  
FEI STU, Ilkovičova 3  
812 19 Bratislava

# Contents

|   |           |
|---|-----------|
| <b>Introduction</b>   | <b>2</b>  |
| <b>1 Background</b>   | <b>3</b>  |
| <b>2 Research objectives</b>  | <b>6</b>  |
| <b>3 <math>I_{DDT}</math> test implementation</b>                       | <b>7</b>  |
| 3.1 Test patterns for $I_{DDT}$ test . . . . .                          | 7         |
| 3.2 Design for $I_{DDT}$ testability . . . . .                          | 8         |
| 3.2.1 CUT partitioning for $I_{DDT}$ test . . . . .                     | 8         |
| 3.2.2 Partitioning of the SRAM array . . . . .                          | 10        |
| 3.3 Open defects in an SRAM cell . . . . .                              | 12        |
| 3.4 Conceptual approach to $I_{DDT}$ . . . . .                          | 13        |
| 3.4.1 An obvious approach . . . . .                                     | 13        |
| 3.4.2 The proposed delta approach . . . . .                             | 14        |
| <b>4 Experimental results</b>   | <b>16</b> |
| 4.1 The most efficient $I_{DDT}$ parameter . . . . .                    | 16        |
| 4.2 Efficiency analysis in two different technologies . . . . .         | 18        |
| 4.3 The effect of sensor hardware on $I_{DDT}$ . . . . .                | 19        |
| 4.4 The effect of parasitics and leakage current on $I_{DDT}$ . . . . . | 23        |
| <b>5 Achieved results and their asset</b>                               | <b>28</b> |
| <b>6 Conclusion</b>   | <b>30</b> |
| <b>Author's publications</b>  | <b>32</b> |
| <b>References</b>   | <b>35</b> |

## Introduction

The high scale integration of integrated circuits (IC) would not be possible without the evolution of technologies, where the dimensions of components are pushed often to minimum, even reaching material physical limitations. Unfortunately, advanced technologies are introducing significant drawbacks. One important drawback is the presence of new defects and failure mechanisms, which have a negative impact on both the process yield and IC reliability. Therefore, the importance of IC testing is rapidly rising.

The increasing complexity of ICs requires new, sophisticated test methods. For logic circuits, a functional test was sufficient. However, the conventional functional test may fail in covering some catastrophic faults, which do not necessarily cause faulty outputs of digital circuits [1]. Catastrophic defects such as resistive opens, bridging defects and gate-oxide shorts mostly cause reliability issues, where open defects with open resistance lower than 10 M $\Omega$  (considered as hard-detectable defects) cannot be effectively unveiled by any functional test. Therefore, other effective test alternatives like parametric test methods are developed.

Parametric test does not represent the main test approach; it is rather an augmenting test method, which is meant to help to increase the reliability of a tested IC. One of these parametric test approaches is the *Transient supply current measurement* –  $I_{DDT}$  test represents an interesting and challenging test method that can be very efficient in detecting open defects. However, due the difficulties associated with the practical realization of this method, it still seeks for its wider acceptance.

Generally,  $I_{DDT}$  test is well suited for repeating, regular structures because of the homogeneity of the current consumption of identical parts in a tested system. A good example of such a system are *static random access memory (SRAM)* arrays, as it was also proved in [2]. Since SRAMs are the most often used embedded memories, and in many cases, they may occupy more than 90% of the total silicon area in a *system-on-chip (SoC)* [1, 3], they also represent the greatest reliability fail factor in such systems.

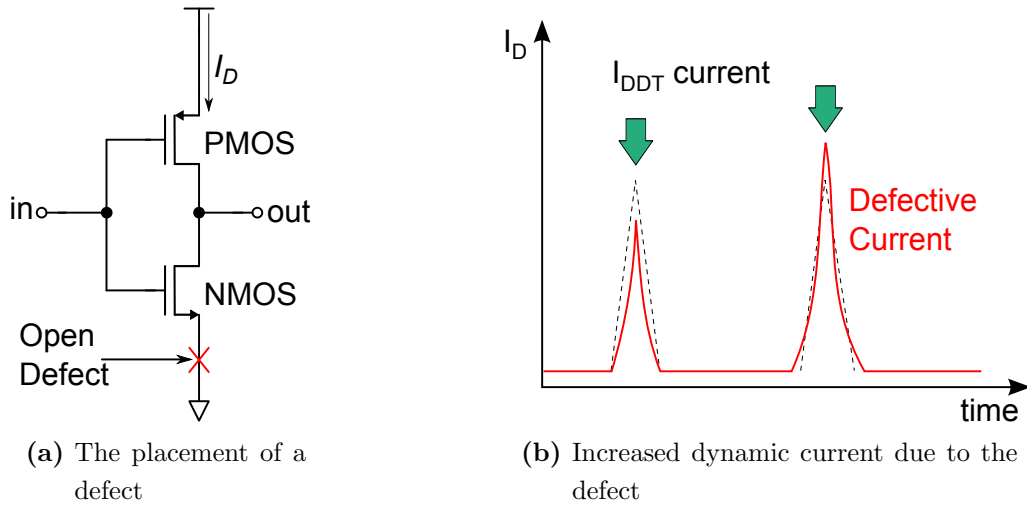
# 1 Background

Current-based tests are already well known since the late 1980's. In general, these tests are divided in two major groups,  $I_{DDQ}$  – the static or quiescent current test [4] and  $I_{DDT}$  – the dynamic or transient supply current test [5]. By their nature, current-based test methods are referred to as parametric tests, and are mostly used in CMOS technology, predominantly for logic circuits, although application in analog circuits was also reported in [6, 7]. Current-based testing has a great potential in detecting a device with catastrophic defects like opens, floating gates, gate-oxide shorts and bridging defects. The supply current testing is often used at the very beginning of a test process to rule out quickly defective devices [8].

$I_{DDQ}$  testing has already found a practical usage, while  $I_{DDT}$  test is still under investigation, since it represents a rather great challenge to designers and test engineers, mainly from the implementation point of view. In general, current-based test approaches are well suited for ICs with uniform and repeating structures [9].

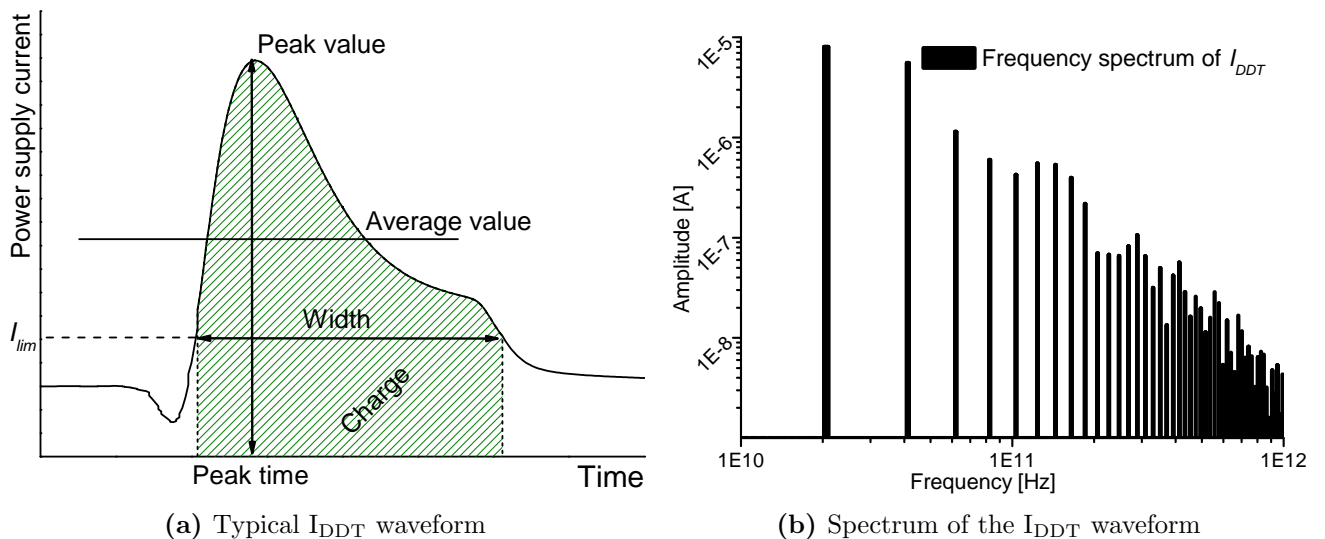
Dynamic supply current testing is the subject of many researches and studies, even though much less was published about  $I_{DDT}$  testing then about  $I_{DDQ}$  test. The main idea of this approach is that during the process of switching, a CMOS digital circuit draws a significant amount of supply current compared to the static state of the same circuit. This part of the supply current is called the dynamic (transient) or also switching current. In  $I_{DDT}$  test approach, a circuit under test is tested in its active state. Thus, by dynamic supply current test, the measurement of the switching current of a tested digital circuit is meant [10]. The principle of  $I_{DDT}$  is presented in Fig. 1.1, where an open defect is present in a switching CMOS inverter between the NMOS transistor and the ground (Fig. 1.1a) and the dynamic current deviation (red waveform) is depicted in Fig. 1.1b. In this case, the open defect causes reduction of the transient current pikes if compared to the fault-free circuit, which is depicted with the dashed waveform.

The test decision criterion is based on one or more parameters of the observed



**Figure 1.1:** The principle of  $I_{DDT}$  test

dynamic current waveform. A typical  $I_{DDT}$  waveform is depicted in Fig. 1.2a. This current waveform can be characterized using several parameters, which may change depending on the particular defect. These parameters include: current waveform width (at a current value denoted  $I_{lim}$ , which is chosen carefully to enable the reliable evaluation of the monitored parameter taking into account the process variation), the charge provided by the waveform (integral of the waveform with limits at  $I_{lim}$ ), the peak value of the waveform, the peak time (time when waveform reaches its peak value) and the average value of the waveform (for the period of time, when the waveform crosses the current value  $I_{lim}$ ).



**Figure 1.2:**  $I_{DDT}$  waveform characteristics

As already mentioned, there is no doubt that the dynamic supply current event

(Fig. 1.2a) is a very fast action. For example, the dynamic current of an SRAM cell in a 90 *nm* technology might take less than 200 ps. In this case, the majority of waveforms' main harmonics are in the region of several GHz, as shown in Fig. 1.2b. Thus, processing of such a signal is extremely difficult.

In general, current-based test approaches are well suited for ICs with uniform and repeating structures [9], like SRAM arrays. The biggest advantage of  $I_{DDT}$  test is its ability to detect open defects, which are generally considered as hard-detectable (if at all) types of physical defects. Additionally, the generation of test vectors is relatively simple [11]. Though, for more complex logic circuits, inducing  $I_{DDT}$  current might get more complicated.

## 2 Research objectives

With the consideration of the actual needs and problems of SRAM testing, the research objectives for this PhD thesis were stated as follows:

- Investigation of  $I_{DDT}$  test as an augmenting method to extensive voltage-based tests in SRAMs, based on the efficiency analysis of  $I_{DDT}$  waveform parameters in covering open defects. Definition of the most efficient parameter of  $I_{DDT}$  waveform to be sensed.
- Definition and analysis of open faults in an SRAM cell, and their precise fault models.
- Evaluation of feasibility of standard March tests for  $I_{DDT}$  test of SRAMs, and the definition of the minimum test sequence length of  $I_{DDT}$  test.
- Proposal of  $I_{DDT}$  test approach suited for SRAM arrays and its implementation in a deep-submicron technology.
- Investigation of on-chip versus off-chip measurement and processing, and deriving of general “Design-for- $I_{DDT}$ -Testability” rules based upon test hardware realization.



### 3 I<sub>DDT</sub> test implementation

#### 3.1 Test patterns for I<sub>DDT</sub> test

The issue of generating test vectors for I<sub>DDT</sub> testing is investigated in [12]. Generating proper test vectors for a 6 transistor (6T) SRAM cell is not a difficult task. The dynamic supply current appears when the SRAM changes its state. There are two kinds of operations distinguished, the write process and the read process. For us, important operations are transition write operations (the stored value is overwritten) [13], which induce the I<sub>DDT</sub> current.

Since the SRAM cell is symmetric, two transition write operations of opposite directions would activate the same defects in both inverters. This in practice would mean that if the number of cells in an SRAM array is  $n$ , then the length of the test would be  $2n$ , since two transition write operations are required. Though, before these write operations are performed it would be useful to know what value is stored in the particular cell being written to. Hence, it would require an additional read or write operation that increases the length of the test to  $3n$ . Let us assume that the first write operation which sets the first known value is the write of a logic one (*Log1*).

In bit-oriented SRAMs, only one cell is investigated each time. Hence, theoretically, where there is no need to check whether a given value was really stored in the cell, the test length would be  $3n$ . Obviously, with value check (read operation after each write) the test length would grow to  $6n$ . In a word-oriented SRAM array, where the length of the word is  $m$  and no read operation is performed to check for stored values, the address does not change for  $2m + 1$  operations. In this case, the first write of *Log1* can be carried out for the whole word and than, only two operations are required to be performed on each bit in the word. In the case of a read check, the length of the test of one word would become  $4m + 2$  long. This feature actually makes the I<sub>DDT</sub> test of word-oriented SRAMs shorter in terms of *March test* length if both arrays have the same bit capacity.

**Table 3.1:** Example of March tests for a bit-oriented and a word-oriented SRAM

| SRAM type  | March test solution  | Test length |
|--|--|-------------|
| Bit-oriented<br>( $n$ bits)                      | $\Downarrow(w0, w1)$   | $2n$        |
|  | $\Downarrow(w1, w0, w1)$   | $3n$        |
|  | $\Downarrow(w1, r1, w0, r0, w1, r1)$   | $6n$        |
| Word-oriented<br>( $l$ words &<br>$m$ bits/word) | $\Downarrow(w(01\dots1)_m, w(11\dots1)_m, w(10\dots1)_m,$<br>$w(11\dots1)_m, w(11\dots0)_m, w(11\dots1)_m)$                | $l(2m)$     |
|  | $\Downarrow(w(11\dots1)_m, w(01\dots1)_m, w(11\dots1)_m,$<br>$w(10\dots1)_m, w(11\dots1)_m, w(11\dots0)_m, w(11\dots1)_m)$ | $l(2m + 1)$ |
|  | $\Downarrow(w(11\dots1)_m, r(11\dots1)_m, w(01\dots1)_m,$<br>$r(01\dots1)_m, \dots, w(11\dots1)_m, r(11\dots1)_m)$         | $l(4m + 2)$ |

### 3.2 Design for $I_{DDT}$ testability

The topology of  $I_{DDT}$  test hardware mostly depends on monitored parameters of the  $I_{DDT}$  current, which are explained in section 1. The realization of current-based test hardware can be divided into three major groups:

- On-chip test hardware
- Hybrid test hardware
- Off-chip test hardware

In the case of  $I_{DDT}$  test, a special kind of design for testability is used, which is called *Design for  $I_{DDT}$  testability* (DfIT). Some aspects of design for current testability are dealt in [14]. The general approach to DfIT is depicted in Fig. 3.1a, where there always should be a sensing element between the power terminal and the circuit under test, and also some processing and evaluating units. The output of the evaluating unit is a current signature (a logic value for instance).

#### 3.2.1 CUT partitioning for $I_{DDT}$ test

On-chip implementation of  $I_{DDT}$  test is a huge challenge because digital circuits mostly have one or more common power supply rails, which distribute the power to all the subsystems. Since  $I_{DDT}$  test is based on the monitoring of the current through power supply rails, it presents a problem to detect changes in the dynamic current waveform for complex and large circuits, which result in a quite complex design for  $I_{DDT}$  testability.

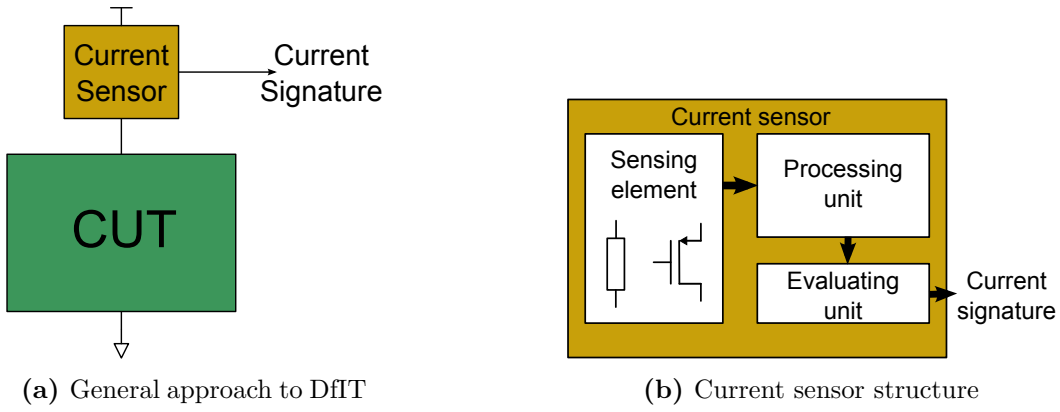


Figure 3.1: Concept of DfIT

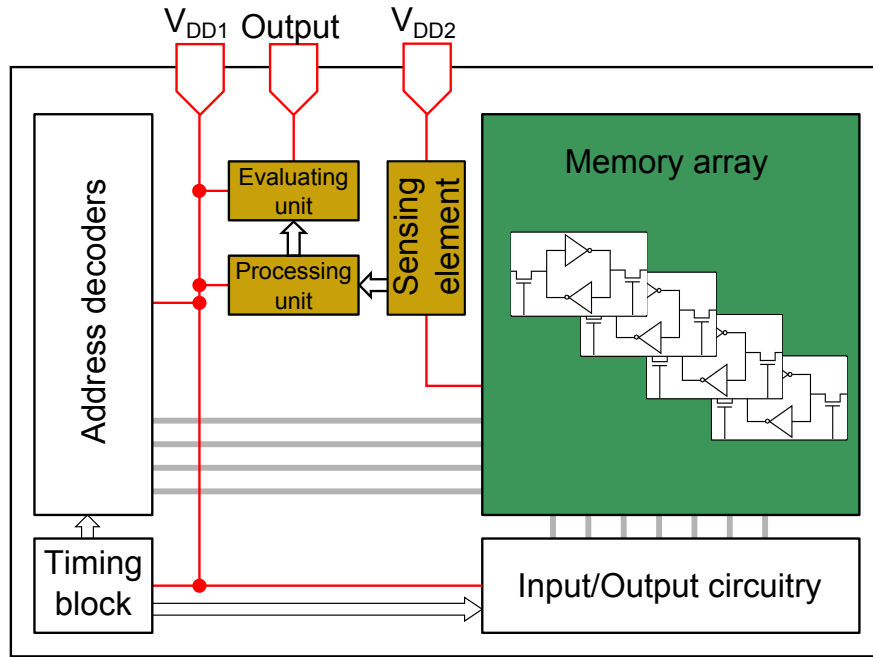


Figure 3.2: DfIT for a SRAM based on power distribution

In Fig. 3.2, the layout of an SRAM circuit is depicted, which is organized based upon the power distribution, where it is vital to separate the power rails of the memory array and supporting circuits (address decoders, timing block, I/O). It can be observed that the best solution is to divide the power rails (red lines) outside the chip. From Fig. 3.2, one can also observe that  $V_{DD1}$  is the power supply of supporting circuits, while  $V_{DD2}$  is the power supply pin of the SRAM array. For test purposes, the two power supplies connected to the chip should be completely separated, while for normal function the two inputs could be shorted. Such partitioning of the tested circuit brings benefits for all three possibilities of test hardware realizations. Nevertheless, in the case of completely off-chip

realization, the sensing element from Fig. 3.2 is placed between pin  $V_{DD2}$  and the power supply, and the rest of the sensor is also placed outside the chip, which shall be powered by  $V_{DD1}$  or a power supply different from  $V_{DD2}$ . All three approaches would need also extra output pins.

### 3.2.2 Partitioning of the SRAM array

The first aspect of partitioning of the SRAM array is the test hardware type, whether it is on-chip, off-chip, or which part of the sensor is on-chip in the case of hybrid test hardware. The second aspect is the type of sensing element, which is connected between the power supply and the memory array (Fig. 3.1b). In most cases, this element has a resistive character and can be realized with a resistor or a MOS transistor. However, it should be chosen so that it has a resistance big enough for the dynamic supply current to create a voltage drop across it, which can be then processed. On the other hand, in more advanced technologies due to leakage currents, a significant voltage drop is created across the resistive element, which may degrade the power supply value for the memory array. The array should be split into smaller parts, where the memory capacity of the smaller arrays is a function of leakage current, sensing element dimensions and sensing element resistance. The three basic parts are dealt here separately. The principle schematic of the SRAM array partitioning for on-chip  $I_{DDT}$  test is depicted in Fig. 3.3.

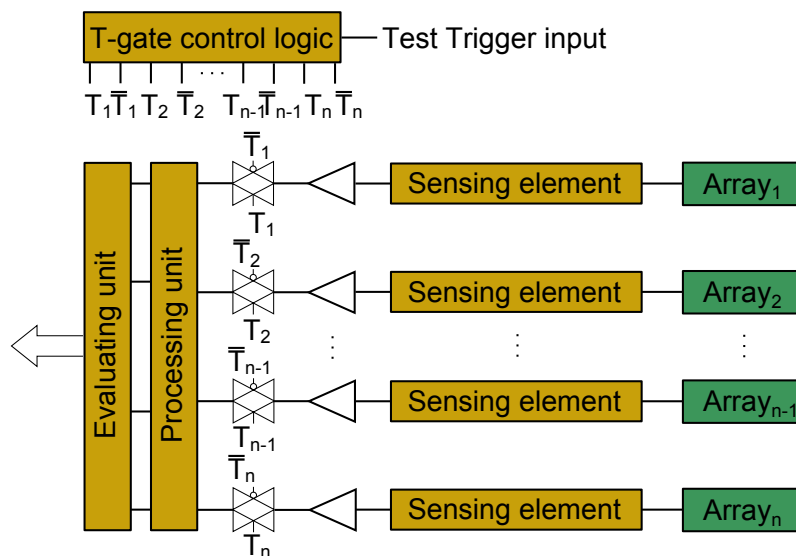


Figure 3.3: SRAM array layout for the on-chip sensor

The first important thing is that for each sub-array (denoted as Array<sub>1</sub> to Array<sub>n</sub> in Fig. 3.3), it is necessary to have an own sensing element, where it is vital to have identical layouts of sub-arrays and their respective sensing elements including connecting wires, etc.

In the second step, an amplifier is required to amplify the signal from the sensing element. For the cost of additional area, some basic processing could be attached to the amplifying circuit, which would create a well defined voltage stable in time. Then, this voltage could be multiplexed to a processing and evaluation unit by T-gates. There is a possibility of using global or quasi-global decision criteria in the evaluating circuitry, when identical layouts are used. T-gates are driven by a logic block that opens them based upon the applied March test, to which the I<sub>DDT</sub> test is augmented to.

The same layout is used for hybrid test hardware, only there the evaluation circuit is off-chip and hence, the sensor has an analog output instead of the digital one as mentioned earlier.

In the case of the off-chip sensor, the SRAM array partitioning is not that straightforward. There are basically two main possibilities. The first possibility is that the array remains untouched and only the principles drawn in Fig. 3.2 are adopted, where two power supply rails are used. Here, the drawback is that all sub-arrays are connected together and hence, there is a bigger possibility of masking of the induced dynamic supply current. Moreover, it would require a global decision making that would decrease the test efficiency. On the other hand, the resistance of the sensing element is not critical because  $V_{DD2}$  voltage is a variable.

The second possibility depicted in Fig. 3.4 is the application of an off-chip I<sub>DDT</sub> sensor. The drawback of this approach is that by inserting T-gates, the respective current path is broken. Hence, if one of the arrays is disconnected, the stored values are going to be lost. Therefore, in the functional mode, all T-gates shall be open. Moreover, the parasitic components of a T-gate are going to have an undesired impact on the I<sub>DDT</sub> current (just like the open resistance, which will reduce the power supply voltage in the case of a higher static supply current).

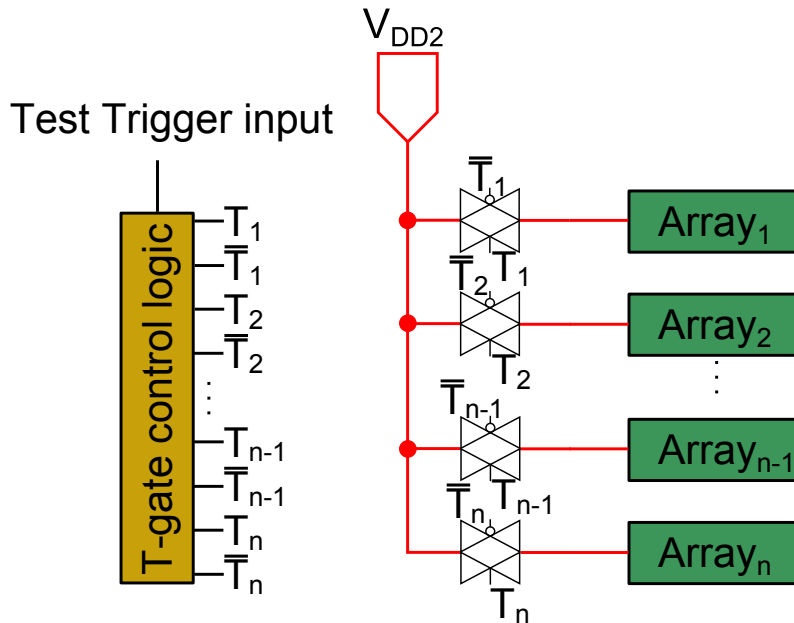


Figure 3.4: Layout of the SRAM array for an off-chip  $I_{DDT}$  test hardware

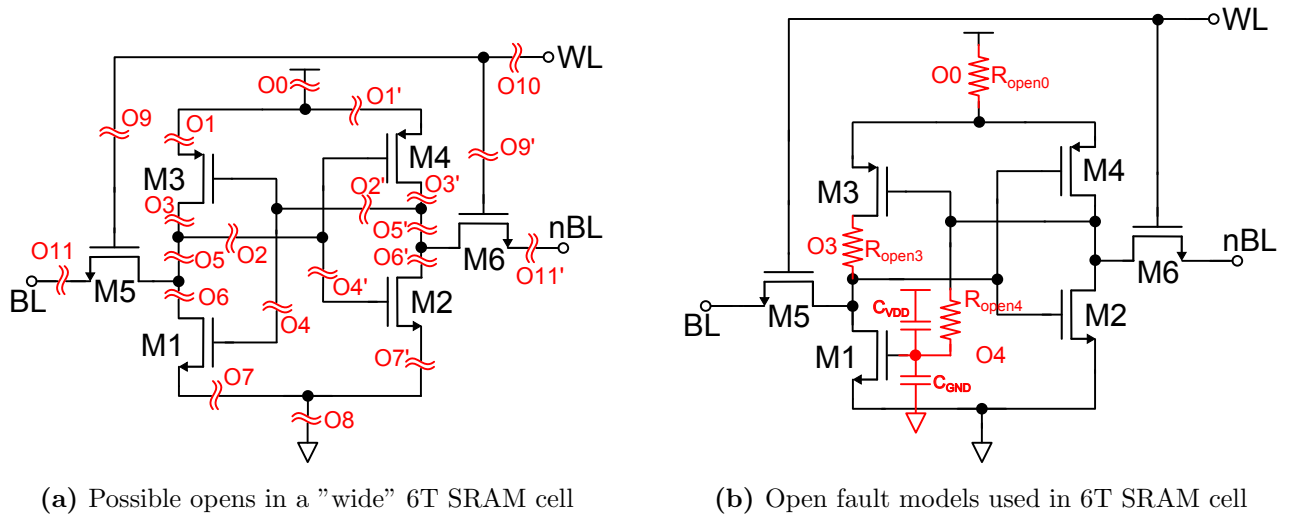
### 3.3 Open defects in an SRAM cell

According to [15], it is important to distinguish between possible locations of resistive open defects in a 6T SRAM cell. In our work, the possible locations of the resistive opens are derived from the "wide" SRAM cell layout [3], where opens were only considered in the metalization, vias, contacts and the polysilicon layer.

In Fig. 3.5a, the transistor level schematic of a 6T SRAM cell is shown, where possible locations of open defects are depicted. Since the 6T SRAM cell (Fig. 3.5a) has a symmetrical topology and layout, there are altogether 21 (two times 9 plus 3 other) possible locations for opens. These opens were sorted into three groups, based on their location.

Group I represents resistive opens, where both sides of the defect are connected either to ground or the positive supply rail, and either directly or indirectly through an open transistor. From Fig. 3.5a,  $O_0$ ,  $O_1$ ,  $O_5$ ,  $O_8$ , and  $O_{11}$  belong to this group. This type of resistive opens is illustrated by the open location denoted as  $O_0$  in Fig. 3.5b, where the SRAM cell with the used open fault model in the respective location is shown.

Group II represents open defects that have only one side connected to a well defined potential. This happens when there is a gate of a transistor connected



**Figure 3.5:** The 6T SRAM cell

to the other side of an open defect. In this case, the potential on the transistor gate is not well defined, and it is mainly given by the charge accumulated on the parasitic capacitances between the gate side of the broken line and the surrounding structures. The other electrodes of the parasitic capacitors are connected to a well defined potential, which is either the positive or the negative supply rail. Hence, all the parasitic capacitances are summed up, and are modeled by two capacitors. From Fig. 3.5a,  $O_2$ ,  $O_4$ ,  $O_9$ , and  $O_{10}$  belong to this group. In Fig. 3.5b, open location denoted as  $O_4$  is an example of Group II defect.

Group III represents those open defects that have always well defined potential on one side of the defect, while the potential of the other side is case dependent. Opens denoted as  $O_3$ ,  $O_6$  and  $O_7$  belong to this group. The undefined side of open defect  $O_3$  is connected to the drain of a pull-up transistor. Therefore, after start-up condition, if the pull-up transistor is closed the potential of that side is unknown. However, these open defects are investigated under no start-up condition and hence, the same fault model defined for opens from Group I is used.

### 3.4 Conceptual approach to $I_{DDT}$

#### 3.4.1 An obvious approach

In a real case, decision is based on a fault-free tolerance band (TB), which is based on two threshold values, which are gained from Monte Carlo (MC) analysis

of a fault-free circuit. Such a TB was also used in our earlier research works [A5, A8]. Then, open defects are inserted in the locations illustrated in Fig. 3.5a, and if the simulated parameter falls out of the TB it would mean the tested cell is faulty and the presence of a defect is detected. In other case, a defect remains hidden. Also the assumption that a defective cell in different process corners will cause an even bigger deviation from the typical case has to be made. It is obvious that the TB has to be very wide if considering also the parasitic components of supply rails, which in a larger circuit, may cause a significant voltage drop from the dynamic supply current point of view.

### 3.4.2 The proposed delta approach

The delta approach to  $I_{DDT}$  test, proposed in this thesis and also presented in [A11], is based on the assumption that if the same parameter is measured on two identical fault-free SRAM cells, then the difference shall be close to zero. In the same manner, if one of the cells is faulty, then the difference shall be different from zero.

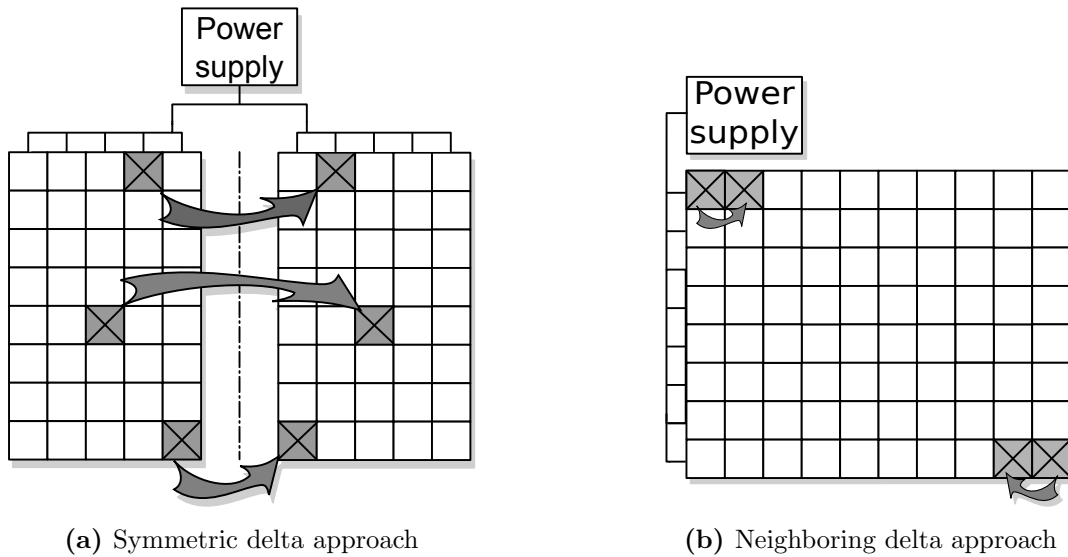
There are two possible realizations of this approach:

- *Symmetric delta approach*
- *Neighboring delta approach*

In a real situation, the difference between two fault-free circuits is probably not going to be zero, since there are different parasitic components and mismatch present. With special layout techniques, the effect of mismatch can be suppressed. A solution may be the symmetric layout of the array, as depicted in Fig. 3.6a. In this case, only parameters of two counterpart cells that are on the same horizontal line and at the same distance from the center line are compared. Thus, the same parasitic components are expected. This is possible only if the process variation would move from the typical process corner in the same direction and the same level of deviation. However, if the two compared cells are too far from each other (the cell is far from the center line in Fig. 3.6a), this condition cannot be assured. Hence, process variation and mismatch needs to be considered.

Another possibility is to compare the dynamic supply current parameter of two or more cells that are next to each other, as illustrated in Fig. 3.6b. There is a





**Figure 3.6:** Two possibilities of the delta approach

high probability that neighboring cells will have the same or very close process variation.

One can never assure that at least one of the investigated cells will be fault-free. Thus, this approach relies on probability calculation [16], which is based on the fact that open defects are spot defects with random appearance. If only the delta of two cells was considered in case of 2000 cells per array, it would mean that 23 dies out of a million samples will have at least one pair of counterparts with two identical defects. This is true for the neighboring and symmetric delta as well. In case of the neighboring delta approach if three cells were used, only in 90 cases out of a billion would have identical defects.

## 4 Experimental results

### 4.1 The most efficient $I_{DDT}$ parameter

The most common SRAM cell is the 6T CMOS implementation, which consists of two cross-coupled inverters formed by complementary transistor pairs M1-M3 and M2-M4, and by two access transistors M5 and M6 that are usually NMOS transistors, which ensure read and write access to the cell (Fig. 3.5b). To ensure non-destructive read operation and reasonable noise margin, the *Cell Ratio* ( $CR$ ) (4.1) should be within the range from 1 to 2.5, where  $W$  denotes the transistor channel width and  $L$  represents the transistor channel length. Larger CR provides improved stability while on the other hand, smaller CR ensures higher speed [3]. To ensure the reliable write operation, the dimensions ( $W/L$ ) of the pull-up transistor M4 should be less than 3-4 times the dimensions of the access transistor M6. This ratio is characterized by the so-called *Pull-up Ratio* ( $PR$ ) (4.2) [3].

$$CR = \frac{W_1/L_1}{W_5/L_5} \quad (4.1)$$

$$PR = \frac{W_4/L_4}{W_6/L_6} \quad (4.2)$$

An open fault can be characterized by a value of its resistance and in special cases, together with additional parasitic capacitance, which is modeled by a resistor and a capacitor (Fig. 3.5a) connected in parallel between the nodes where the open defect is considered. The locations of the investigated open faults are depicted in Fig. 3.5a. There are altogether 21 open faults located in the mentioned schematic, where opens  $O_1, O_2, O_3, O_4, O_5, O_6, O_7, O_9, O_{11}$  are symmetrical, and open defects  $O_0, O_8$  and  $O_{10}$  are asymmetrical.

The efficiency of any test is measured by the fact whether a defect/fault present in the investigated circuit is detected and how much of these defects are covered altogether. In order to evaluate the efficiency of  $I_{DDT}$  parameters in covering open defects and find the most efficient one, an experimental fault analysis has been performed. In this experiment, for each simulation set, only one defect was inserted in the SRAM cell according to Fig. 3.5a. In each simulation set,

where the resistance value of open faults was swept from 10 k $\Omega$  to 1 M $\Omega$ , two  $I_{DDT}$  current waveforms were generated with two transition write processes, one in each direction. Several parameters of the  $I_{DDT}$  waveform (presented in 1 and depicted in Fig. 1.2a) were calculated and evaluated, where the evaluation was based on a tolerance band (TB) generated by Monte Carlo (MC) analysis of 200 runs, where device mismatch and process variation were considered. The MC analysis was performed on a defect-free circuit. The efficiency was calculated using the expression (4.3).

$$Efficiency = \frac{Number\ of\ detected\ opens}{Total\ number\ of\ possible\ opens} 100\ [%] \quad (4.3)$$

For this analysis, a CMOS technology of 90 nm was used. The dimensions of the cell were kept on minimum, where the PR was equal to 1 and the CR was varied as follows: 1, 1.5, 2 and 2.5. The efficiency results achieved for different open resistance values and CRs is showed in Tab. 4.1 and Tab. 4.2.

**Table 4.1:** Efficiency analysis of  $I_{DDT}$  test for cell ratios 1 and 1.5

| $I_{DDT}$ Parameter | Efficiency of $I_{DDT}$ test for CR=1 /1.5 [%] |           |           |           |           |
|---------------------|--|-----------|-----------|-----------|-----------|
|                     | Open resistance value [ $\Omega$ ]             |           |           |           |           |
|                     | 10 k   | 50 k      | 100 k     | 500 k     | 1 M       |
| Charge              | 4.8/4.8  | 42.9/52.4 | 71.4/71.4 | 95.2/95.2 | 95.2/95.2 |
| Peak value          | 4.8/4.8  | 33.3/33.3 | 33.3/42.9 | 52.4/52.4 | 52.4/52.4 |
| Width               | 0.0/9.5  | 52.4/52.4 | 57.1/57.1 | 66.7/66.7 | 85.7/85.7 |
| Average value       | 4.8/4.8  | 42.9/42.9 | 61.9/61.9 | 81.0/81.0 | 71.4/71.4 |

**Table 4.2:** Efficiency analysis of  $I_{DDT}$  test parameters for cell ratios 2 and 2.5

| $I_{DDT}$ Parameter | Efficiency of $I_{DDT}$ test for CR=2 /2.5 [%] |           |           |           |           |
|---------------------|--|-----------|-----------|-----------|-----------|
|                     | Open resistance value [ $\Omega$ ]             |           |           |           |           |
|                     | 10 k   | 50 k      | 100 k     | 500 k     | 1 M       |
| Charge              | 4.8/4.8  | 52.4/61.9 | 76.2/76.2 | 95.2/95.2 | 95.2/95.2 |
| Peak value          | 4.8/4.8  | 33.3/33.3 | 42.9/42.9 | 52.4/52.4 | 52.4/52.4 |
| Width               | 9.5/9.5  | 52.4/52.4 | 57.1/66.7 | 66.7/66.7 | 85.7/85.7 |
| Average value       | 4.8/4.8  | 42.9/42.9 | 61.9/61.9 | 81.0/81.0 | 71.4/71.4 |

Based on achieved partial results, the overall efficiency can be calculated, where the efficiency obtained for respective parameters can be used to gain the overall

best efficiency. These results are presented in Tab. 4.3.

**Table 4.3:** Overall efficiency of  $I_{DDT}$  test for different CR

| Cell Ratio | Efficiency of $I_{DDT}$ test [%]   |      |       |       |      |
|------------|------------------------------------|------|-------|-------|------|
|            | Open resistance value [ $\Omega$ ] |      |       |       |      |
|            | 10 k                               | 50 k | 100 k | 500 k | 1 M  |
| 1          | 4.8                                | 52.4 | 71.4  | 95.2  | 95.2 |
| 1.5        | 14.3                               | 61.9 | 71.4  | 95.2  | 95.2 |
| 2          | 14.3                               | 61.9 | 76.2  | 95.2  | 95.2 |
| 2.5        | 14.3                               | 61.9 | 76.2  | 95.2  | 95.2 |

It should be noted that in the above described analysis, only the minimum dimension cells were investigated. For the case when the CR is set to 2.5, the PR is set to 1, and W/L of transistors was tripled from its minimum, the results are reported in Tab. 4.4.

**Table 4.4:** Efficiency analysis of  $I_{DDT}$  test for a robust cell (CR=2.5)

| $I_{DDT}$ parameter | Efficiency of $I_{DDT}$ test for a robust cell [%] |      |       |       |      |
|---------------------|--|------|-------|-------|------|
|                     | Open resistance value [ $\Omega$ ]                 |      |       |       |      |
|                     | 10 k   | 50 k | 100 k | 500 k | 1 M  |
| Charge              | 57.1   | 85.7 | 90.5  | 100   | 100  |
| Peak value          | 23.8   | 38.1 | 47.6  | 61.9  | 71.4 |
| Width               | 47.6   | 71.4 | 76.2  | 85.7  | 95.2 |
| Average value       | 38.1   | 66.7 | 66.7  | 85.7  | 90.5 |

## 4.2 Efficiency analysis in two different technologies

It is assumed that the efficiency of  $I_{DDT}$  test might be affected by several factors associated with a technology, in which the tested circuit is implemented. Therefore, in this section, the efficiency of  $I_{DDT}$  test investigated for CMOS 0.35  $\mu m$  and 90 nm technologies analyzed and compared. Achieved results and findings gained through this analysis were published in [A3]. Open defects were derived from a wide layout SRAM cell. Thus, defect location  $O_1$  (only one side) and  $O_8$  were not considered, while defect  $O_5$  (counterpart too) (Fig. 3.5a) was omitted due to the slightly different layout of the cell. Open  $O_8$  is not present in the "wide" cell since it is a possible open fault on global ground rail that connects the sources of transistors M1 and M2, and is realized with the second metalization

layer. Another power rail related open fault is  $O_1$ . In this way, 17 open faults altogether were considered in this analysis. The designed circuit under test was a synchronous 64-bit SRAM with parallel 8-bit input/output. The cell dimensions were not kept on minimum, where the width of all transistors was nearly three times greater than in 4.1 and the length was set to minimum.

In this analysis, five parameters of the  $I_{DDT}$  waveform were evaluated. Except for the peak time (the time moment when the  $I_{DDT}$  waveform reaches its maximum), four other parameters are the same as in 4.1. The peak width was stated in two ways. In the first case, it was stated in a relative way, where the width value depends on the highest value of the waveform. Thus, the relative width was measured on the current waveform at 10% of the peak value ( $I_{lim}$  in Fig. 1.2a). In the second case, the width was measured at a constant value of  $I_{lim}$ .

As opposed to the analysis presented in section 4.1, here open faults were modeled only using a resistor, and thus, for open faults from Group II (section 3.3) the parasitic capacitances were omitted. Then, MC analysis consisting of 100 runs on the fault-free circuit was performed and TBs for monitored parameters were specified.

In Tab. 4.5, the overall efficiency of all  $I_{DDT}$  parameters (in covering all 17 possible locations of open defects) is presented for 0.35  $\mu m$  and 90  $nm$  CMOS technology, respectively. Check marks denote detected open faults, while  $X$  marks denote undetected opens for each write direction and three different values of open resistance. Open faults marked with apostrophe denote the counterparts of symmetrical open faults.

### 4.3 The effect of sensor hardware on $I_{DDT}$

In experiments presented in [A5] and [A6] a MOS transistor was used as a sensing element in the test hardware. A PMOS transistor was connected between the CUT and the power supply, while its gate was grounded. In this experiment, the efficiency dependence of  $I_{DDT}$  test and the CR and PR (where CR was set as in section 4.1 and PR was in all cases set to 1) on the dimensions of the sensing element was investigated. In the simulation setup, the CUT had the same structure as the one designed in a 90  $nm$  CMOS technology (presented in

**Table 4.5:** Overall  $I_{DDT}$  test efficiency in 0.35  $\mu m$  and 90  $nm$  process

| Open resistance   | Efficiency for 0.35 $\mu m$ process |      |                |      |              |      | Efficiency for 90 $nm$ process |      |                |      |              |      |
|-------------------|-------------------------------------|------|----------------|------|--------------|------|--------------------------------|------|----------------|------|--------------|------|
|                   | 10 k $\Omega$                       |      | 100 k $\Omega$ |      | 1 M $\Omega$ |      | 10 k $\Omega$                  |      | 100 k $\Omega$ |      | 1 M $\Omega$ |      |
| Writing           | Log0                                | Log1 | Log0           | Log1 | Log0         | Log1 | Log0                           | Log1 | Log0           | Log1 | Log0         | Log1 |
| $O_{11}$          | ✓                                   | X    | ✓              | ✓    | ✓            | ✓    | X                              | ✓    | ✓              | ✓    | ✓            | ✓    |
| $O_9$             | X                                   | X    | X              | X    | ✓            | ✓    | X                              | X    | X              | X    | ✓            | X    |
| $O_0$             | ✓                                   | ✓    | ✓              | ✓    | ✓            | ✓    | ✓                              | ✓    | ✓              | ✓    | ✓            | ✓    |
| $O_{10}$          | X                                   | X    | ✓              | ✓    | ✓            | ✓    | X                              | X    | X              | X    | ✓            | ✓    |
| $O'_1$            | X                                   | X    | ✓              | ✓    | ✓            | ✓    | X                              | ✓    | X              | ✓    | X            | ✓    |
| $O_3$             | X                                   | ✓    | X              | ✓    | ✓            | ✓    | X                              | ✓    | X              | ✓    | ✓            | ✓    |
| $O_2$             | X                                   | ✓    | ✓              | ✓    | ✓            | ✓    | X                              | ✓    | ✓              | ✓    | ✓            | ✓    |
| $O'_2$            | X                                   | ✓    | ✓              | ✓    | ✓            | ✓    | X                              | X    | X              | ✓    | ✓            | ✓    |
| $O'_3$            | X                                   | X    | ✓              | X    | ✓            | ✓    | X                              | X    | ✓              | X    | ✓            | ✓    |
| $O_4$             | X                                   | ✓    | ✓              | ✓    | ✓            | ✓    | X                              | ✓    | ✓              | ✓    | ✓            | ✓    |
| $O'_4$            | X                                   | ✓    | ✓              | ✓    | ✓            | X    | X                              | ✓    | ✓              | ✓    | ✓            | X    |
| $O_7$             | X                                   | X    | X              | X    | X            | X    | X                              | X    | X              | X    | X            | X    |
| $O'_7$            | X                                   | X    | X              | X    | X            | X    | X                              | X    | X              | X    | X            | X    |
| $O'_{11}$         | X                                   | ✓    | ✓              | ✓    | ✓            | ✓    | X                              | ✓    | ✓              | ✓    | ✓            | ✓    |
| $O'_9$            | X                                   | X    | X              | X    | ✓            | ✓    | X                              | X    | X              | X    | ✓            | ✓    |
| $O_6$             | X                                   | X    | X              | X    | X            | ✓    | X                              | X    | X              | X    | X            | ✓    |
| $O'_6$            | X                                   | X    | X              | X    | ✓            | X    | X                              | X    | X              | X    | ✓            | X    |
| <b>Efficiency</b> | <b>41.2%</b>                        |      | <b>64.7%</b>   |      | <b>88.2%</b> |      | <b>41.2%</b>                   |      | <b>70.6%</b>   |      | <b>100%</b>  |      |

section 4.2), where dimensions of the cells were kept as small as possible. For a faulty cell, there were 23 locations considered (compared to section 4.1, opens were considered in every possible node and were modeled with resistors). The value of open resistance was set to 10 k $\Omega$ , 100 k $\Omega$  and 1 M $\Omega$ . The channel length of the PMOS sensing transistor was set to minimum, while the width was set to 4  $\mu m$  and 8  $\mu m$ . The TB was gained by MC analysis of 100 runs. The test efficiency was calculated from the dynamic current drawn by the sensing transistor. Test efficiency is shown in Tab. 4.6 and Tab. 4.7.

Choosing a sensing element, however, is by far the smaller problem. On the other hand, designing proper test hardware is a real challenge. In section 1, it was already discussed that the processing of signals such as the  $I_{DDT}$  current is very difficult. Considering the analog characteristics of MOS transistors in deep sub-micron technologies (e.g. 90  $nm$ ), the task seems very difficult. Though, the presented results show that it is not always necessary to amplify the signal as it is, since the peak value does not have the highest efficiency. The most efficient parameter appears to be the charge carried by the  $I_{DDT}$  waveform. However, this

**Table 4.6:** Efficiency of  $I_{DDT}$  test for cell ratios 1 and 1.5 (a PMOS sensing element)

| $I_{DDT}$ parameter | Efficiency of $I_{DDT}$ test for CR=1/1.5 [%] |           |           | PMOS width      |
|---------------------|---|-----------|-----------|-----------------|
|                     | Open resistance value [ $\Omega$ ]            |           |           |                 |
|                     | 10 k  | 100 k     | 1 M       |                 |
| Charge              | 8.7/21.7                                      | 87/87     | 100/100   | 4 $\mu\text{m}$ |
| Peak value          | 8.7/13  | 56.5/52.2 | 69.6/73.9 |                 |
| Width               | 8.7/8.7                                       | 56.5/69.6 | 82.6/100  |                 |
| Average value       | 4.3/4.3                                       | 47.8/78.3 | 95.7/100  |                 |
| Charge              | 8.7/21.7                                      | 87/87     | 100/100   | 8 $\mu\text{m}$ |
| Peak value          | 4.3/13  | 39.1/52.2 | 65.2/73.9 |                 |
| Width               | 8.7/8.7                                       | 47.8/60.9 | 82.6/91.3 |                 |
| Average value       | 4.3/4.3                                       | 43.5/52.2 | 87/100    |                 |

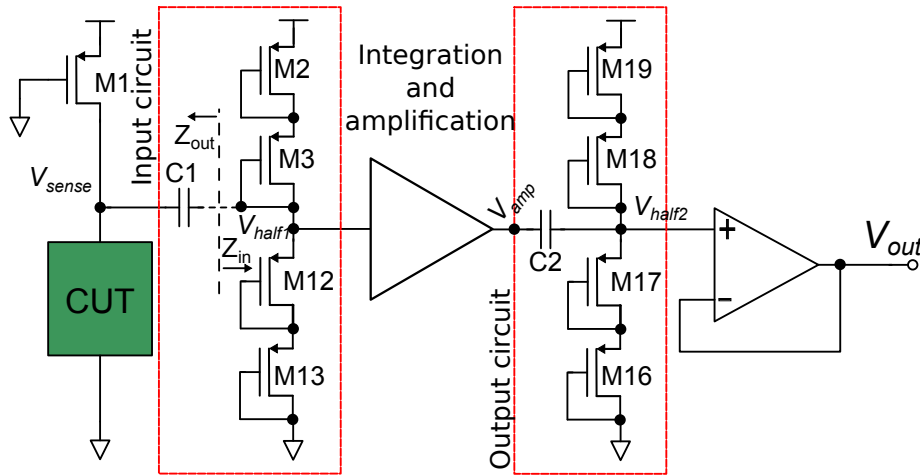
**Table 4.7:** Efficiency of  $I_{DDT}$  test for cell ratios 2 and 2.5 (a PMOS sensing element)

| $I_{DDT}$ parameter | Efficiency of $I_{DDT}$ test for CR=2/2.5 [%] |           |           | PMOS width      |
|---------------------|---|-----------|-----------|-----------------|
|                     | Open resistance value [ $\Omega$ ]            |           |           |                 |
|                     | 10 k  | 100 k     | 1 M       |                 |
| Charge              | 39.1/39.1                                     | 73.9/87   | 100/100   | 4 $\mu\text{m}$ |
| Peak value          | 13/13   | 52.2/56.5 | 87/82.6   |                 |
| Width               | 34.8/26.1                                     | 65.2/73.9 | 100/100   |                 |
| Average value       | 8.7/8.7                                       | 69.6/82.6 | 100/100   |                 |
| Charge              | 30.4/39.1                                     | 87/87     | 100/100   | 8 $\mu\text{m}$ |
| Peak value          | 13/13   | 43.5/52.2 | 69.6/65.2 |                 |
| Width               | 8.7/17.4                                      | 69.6/78.3 | 95.7/100  |                 |
| Average value       | 8.7/8.7                                       | 60.9/73.9 | 91.3/95.7 |                 |

charge is really low compared to technologies, where higher power supply voltages and greater dimensions of transistors are used. Hence, a simple integration of the current waveform could not be successful. Experimental design of sensor for dynamic supply current monitoring was presented in [A5, A6, A8].

The proposed sensor circuit is depicted in Fig. 4.1. Firstly, the sensing element (denoted as M1) is chosen, where several factors have to be taken into account. One important factor is the increased leakage current in deep sub-micron technologies, which in the form of static current might create a significant voltage drop across the sensing element. The consequence of the voltage drop is the reduced supply voltage level for the CUT (SRAM array presented at the beginning of section 4.3). Therefore, the dimensions of the sensing element (representing a

resistance) should be chosen so that it does not exceed a certain voltage drop, which for instance, in the case of a 1.2 V power supply with 10% tolerance is 120 mV.



**Figure 4.1:** Current monitor block schematic

Two experiments were made on the test setup with the current monitor from Fig. 4.1. In the first experiment, the leakage current consumption of the SRAM array was neglected, thus, creating no voltage drop on the sensing element. In the second experiment, the leakage current was set to  $200 \mu\text{A}$ . The leakage current was modeled using an ideal current source, which was connected between the drain of the sensing transistor and ground creating a voltage drop of approximately 100 mV. In both cases, the sensing element with the channel width of  $4 \mu\text{m}$  and the minimum length was used and the CR was set 2.5 and PR to 1. In each case different threshold values were used. This was done due to the fact that the additional voltage drop across the sensing element decreases the supply voltage of SRAM cells, which causes lower  $I_{\text{DDT}}$  current levels and hence, a lower dynamic voltage drop. The achieved efficiency and its comparison to the efficiency of the most efficient parameter of  $I_{\text{DDT}}$  current (the charge carried by the waveform or the integral of the waveform) are shown in Tab. 4.8.

The presented current monitor is just an experimental circuit, which demonstrates that even in a deep sub-micron technology it is possible to deal with the  $I_{\text{DDT}}$  current.



**Table 4.8:** Efficiency of the  $I_{DDT}$  current monitor

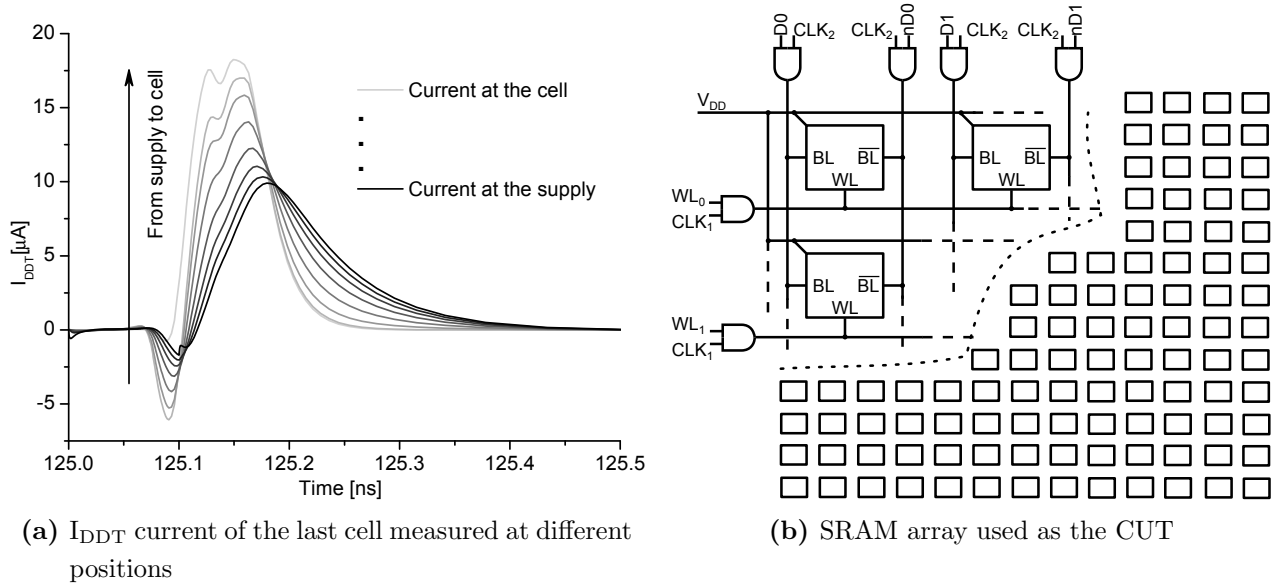
| Parameter                       | Efficiency in [%]                  |       |     |
|---------------------------------|------------------------------------|-------|-----|
|                                 | Open resistance value [ $\Omega$ ] |       |     |
|                                 | 10 k                               | 100 k | 1 M |
| $I_{DDT}$ charge                | 39                                 | 87    | 100 |
| $V_{out}$ peak (no leakage)     | 8                                  | 60    | 100 |
| $V_{half2}$ peak (no leakage)   | 17                                 | 78    | 100 |
| $V_{out}$ peak (with leakage)   | 0                                  | 60    | 100 |
| $V_{half2}$ peak (with leakage) | 21                                 | 87    | 100 |

#### 4.4 The effect of parasitics and leakage current on $I_{DDT}$

In the above discussed experiments, parasitic components of the power distributing and control circuitry metalization were neglected. In reality, each wire represents a resistance and a parasitic capacitance, where they can be modeled using an RC component. The  $I_{DDT}$  current flows through these wires and due to the parasitics it changes its shape. The cell that is the closest to the power supply will have a different shape as the one that is the farthest. Also the current drawn by the last cell will be different when measured at a given cell and the power supply source. The change of the  $I_{DDT}$  current of the last cell is measured in several nodes along the current path, as depicted in Fig. 4.2a. A different charge drawn from the first cell and from the last cell is expected due to the degraded supply voltage level caused by the parasitic resistance of the supply rail especially, if an increased value of quiescent current is considered due to leakage currents.

A SRAM block of 4096 bits (512 one byte words) designed in a 90 nm CMOS technology was used as the CUT in this experiment. CR and PR were set to 2.5 and 1, respectively. The faulty cells were modeled as discussed in section 3.3 and hence, the number of opens was also identical. All parameters were calculated at  $I_{lim} = 2 \mu\text{A}$  (+ leakage current value). The schematic used is depicted in Fig. 4.2b. It consists of 4096 SRAM cells and "AND" logic gates, which were used on the input of BLs(nBLs) and WLs in order to clock the input signals.

Simulations were carried out with taking into account the effect of leakage current mechanisms on  $I_{DDT}$ . The value of leakage current in active state (read or write) was set to  $0.3 \mu\text{A}$ , and in idle state the value was set to  $0.32 \mu\text{A}$  [17]. The



**Figure 4.2:** Current and CUT

leakage current is modeled with a DC current source connected between the source of pull-up transistors and ground. In Tab. 4.9, Tab. 4.10 and Tab. 4.11, parameters without the leakage current considered and parameters of  $I_{DDT}$  current affected by the leakage current are presented before and after the slash, respectively.

### The “obvious” $I_{DDT}$ test approach

In the efficiency analysis of  $I_{DDT}$  test, two cells of the SRAM array from Fig. 4.2b were investigated:  $Cell_1$  (the first bit in the first byte) that is the closest to the supply rail and  $Cell_{4096}$  (the last bit in the last byte) that is the farthest from the supply rail, since these two cells have the greatest difference in their parasitic components. On these cells five operations were performed altogether: a common write of  $Log1$  to both investigated cells, then the sequential write of  $Log0$  and  $Log1$  to  $Cell_1$ , and finally, the sequential write of  $Log0$  and  $Log1$  to  $Cell_{4096}$ .

TBs are set based upon MC analysis, where both the process variation and mismatch are considered. However, the TB for the first cell is different from that of the last cell. For this purpose, the smallest of the lower limit and the greatest of the higher limit of these two TBs were used, creating a union of the above mentioned two TBs. In practice, this is the fastest way to distinguish between a faulty circuit and the fault-free one by this approach. The overall efficiency of the obvious  $I_{DDT}$  approach (performed by two transition write processes in every

**Table 4.9:** Efficiency of the obvious  $I_{DDT}$  test approach

| $I_{DDT}$ Parameter | Efficiency without/with leakage current [%] |        |         |           |           |
|---------------------|---|--------|---------|-----------|-----------|
|                     | Open resistance value [ $\Omega$ ]          |        |         |           |           |
|                     | 10 k  | 50 k   | 100 k   | 500 k     | 1 M       |
| Charge              | 0/0   | 9.5/19 | 19/28.6 | 42.9/42.9 | 42.9/61.9 |
| Peak value          | 0/0   | 0/0    | 0/0     | 33.3/19   | 33.3/28.6 |
| Width               | 0/0   | 9.5/19 | 19/28.6 | 33.3/42.9 | 52.4/61.9 |
| Average value       | 0/0   | 0/0    | 0/0     | 14.3/9.5  | 23.8/9.5  |
| Overall             | 0/0   | 9.5/19 | 19/28.6 | 57.1/42.9 | 71.4/71.4 |

test) is described in Tab. 4.9, where the last row describes the efficiency of the global test, where all the parameters are evaluated.

### Symmetric delta $I_{DDT}$ approach

The first step is the performance of MC analysis with mismatch and process variation considered. From this analysis, the minimum and maximum values are gained for each parameter and for each transition write process. Then, a delta is created from the maximum and minimum values of the considered parameter. In this way, two TBs are created for each transition write direction, one for each cell. Finally, the greatest of the two is chosen as the global TB that assures that no fault-free circuit will be ruled out as faulty. Results are presented in Tab. 4.10.

**Table 4.10:** Efficiency of the symmetric delta  $I_{DDT}$  test approach

| $I_{DDT}$ Parameter | Efficiency without/with leakage current [%] |       |       |           |           |
|---------------------|---|-------|-------|-----------|-----------|
|                     | Open resistance value [ $\Omega$ ]          |       |       |           |           |
|                     | 10 k  | 50 k  | 100 k | 500 k     | 1 M       |
| Charge              | 0/0   | 9.5/0 | 19/19 | 33.3/23.8 | 33.3/33.3 |
| Peak value          | 0/0   | 0/0   | 0/0   | 0/0       | 0/0       |
| Width               | 0/0   | 9.5/0 | 19/19 | 23.8/23.8 | 23.8/33.3 |
| Average value       | 0/0   | 0/0   | 0/0   | 0/0       | 0/0       |
| Overall             | 0/0   | 9.5/0 | 19/19 | 47.6/23.8 | 47.6/33.3 |

### Neighboring delta $I_{DDT}$ approach

To verify the feasibility and the efficiency of neighboring delta approach, cells  $Cell_1$ ,  $Cell_2$  (second bit in the first byte),  $Cell_{4095}$  (seventh bit in the last byte)

and  $Cell_{4096}$  were investigated. The following operations were performed on these cells: a common write of  $Log1$  to all four cells, then the sequential write of  $Log0$  and  $Log1$  to  $Cell_1$ , and then the same sequence to all the remaining cells.

Firstly, MC analysis with mismatch but with no process variation considered is performed. This is possible due to the fact that neighboring cells will have the same process variation with high probability. In this way, the maximum and the minimum values are obtained for each  $I_{DDT}$  parameter for cells  $Cell_1$ ,  $Cell_2$ ,  $Cell_{4095}$  and  $Cell_{4096}$ . This approach relies on the subtraction of given  $I_{DDT}$  parameter values of two neighboring cells. The TB used in testing  $Cell_1$  is set by subtracting the smallest value of the monitored parameter from the greatest value of the same parameter of  $Cell_1$  and  $Cell_2$ , gained by MC analysis. Then, a TB for the last two cells ( $Cell_{4095}$  and  $Cell_{4096}$ ) is gained in the same way. Thus, there are two TBs for each write direction and the greatest one is chosen for each write direction. In Tab. 4.11, the efficiency of the neighboring delta approach is presented, with the last row representing the overall efficiency (all parameters of  $I_{DDT}$  are evaluated).

**Table 4.11:** Neighboring delta approach efficiency (for one global TB used)

| $I_{DDT}$ Parameter | Efficiency without/with leakage current [%] |           |           |           |           |
|---------------------|---|-----------|-----------|-----------|-----------|
|                     | Open resistance value [ $\Omega$ ]          |           |           |           |           |
|                     | 10 k  | 50 k      | 100 k     | 500 k     | 1 M       |
| Charge              | 4.8/0                                       | 61.9/28.6 | 66.7/38.1 | 85.7/52.4 | 85.7/57.1 |
| Peak value          | 0/0   | 9.5/9.5   | 33.3/19   | 52.4/47.6 | 52.4/47.6 |
| Width               | 0/0   | 38.1/28.6 | 47.6/38.1 | 57.1/52.4 | 57.1/57.1 |
| Average value       | 0/0   | 14.3/19   | 42.9/38.1 | 52.4/38.1 | 52.4/38.1 |
| Overall             | 4.8/0                                       | 61.9/28.6 | 66.7/38.1 | 85.7/57.1 | 85.7/38.1 |

The progressive TB is a tolerance band, where on a theoretical level each cell has its own TB. Of course, to create such TBs for high capacity memory with MC analysis is very time consuming. Instead, some assumptions have to be made. In a fault-free circuit, dynamic current parameter values can be assigned to each cell, and based on their distance from the power supply they can be put in order, where some parameters are going to rise with distance (the peak width) and some are going to decrease (for instance the peak value). Either way, the distance of

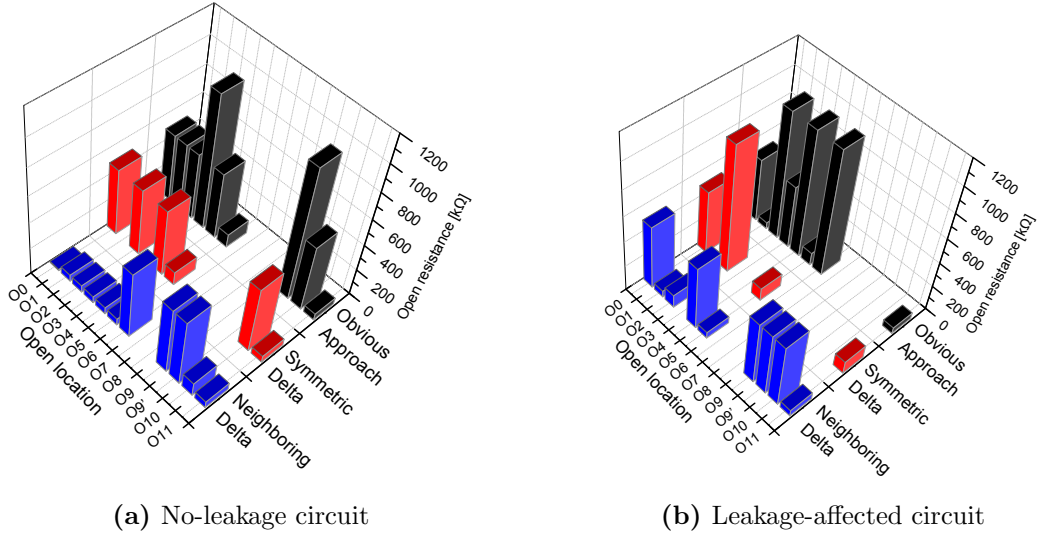
a cell from the power supply (the cell number) is the parameter of the function. In the same MC analysis, it is then expected that the TBs are going to follow a similar manner as the given parameter. For example, the charge value is going to decrease with the distance from the power supply, while the TB for the same parameter is going to rise with distance. In Tab. 4.12, results achieved for such a theoretical case are presented. It can be seen that the efficiency of the charge of the  $I_{DDT}$  waveform has increased, which would mean that the delta approach is the most efficient approach.

**Table 4.12:** Neighboring delta approach efficiency vs. obvious approach (progressive TB)

| $I_{DDT}$ Parameter | Efficiency without/with leakage current [%] |           |           |           |           |             |
|---------------------|---|-----------|-----------|-----------|-----------|-------------|
|                     | Open resistance value [ $\Omega$ ]          |           |           |           |           |             |
|                     | 10 k  | 50 k      | 100 k     | 500 k     | 1 M       |             |
| Charge              | 4.8/0                                       | 28.6/33.3 | 38.1/42.9 | 61.9/61.9 | 76.2/81   | Obvious     |
| Peak value          | 4.8/4.8                                     | 23.8/14.3 | 42.9/42.9 | 52.4/52.4 | 42.9/52.4 |             |
| Width               | 0/0   | 33.3/33.3 | 42.9/42.9 | 42.9/61.9 | 71.4/81   |             |
| Average value       | 0/4.8                                       | 0/23.8    | 19/42.9   | 52.4/81   | 52.4/81   |             |
| Charge              | 4.8/4.8                                     | 61.9/61.9 | 66.7/66.7 | 85.7/76.2 | 95.2/95.2 | Neighboring |
| Peak value          | 4.8/4.8                                     | 9.5/61.9  | 61.9/52.4 | 71.4/71.4 | 71.4/71.4 |             |
| Width               | 4.8/4.8                                     | 61.9/61.9 | 66.7/66.7 | 76.2/76.2 | 95.2/95.2 |             |
| Average value       | 4.8/14.3                                    | 61.9/61.9 | 61.9/61.9 | 85.7/85.7 | 85.7/85.7 |             |

Some opens might remain hidden also for the resistance value of 1 M $\Omega$ . For instance,  $O_7$  and  $O_8$  remained hidden for all tests in our experiment. For the obvious approach, typically  $O_7$ ,  $O_8$  and  $O_9$  remained hidden in the leakage-free and leakage-affected circuits. In the case of the symmetric delta approach, the hidden defects were  $O_1$ ,  $O_3$ ,  $O_6$ ,  $O_7$ ,  $O_8$  and  $O_9$ , and for the neighboring delta approach, opens  $O_7$  and  $O_8$  remained uncovered. These results in comparison to results presented earlier in sections 4.1 and 4.2, where no parasitic components and the same/similar open defects were considered, show that leakage and parasitics have a huge impact on the efficiency of  $I_{DDT}$  test.

Fig. 4.3 shows the minimum value of the open resistance, from which an open defect was detected for each  $I_{DDT}$  test approach, when all parameters of the  $I_{DDT}$  current were considered. In Fig. 4.3a and Fig. 4.3b, the minimum open resistance value detectability achieved in the leakage-free SRAM array and the leakage-



**Figure 4.3:** Minimum open resistance value detectability

affected circuit is presented, respectively. Missing bars represent hidden open locations.

## 5 Achieved results and their asset

Current-based parametric tests represent a promising test approach to digital IC test.  $I_{DDQ}$  test is already widely used as the augmenting technique that is very effective in older and lower pitch technologies. On the other hand,  $I_{DDT}$  test is under investigation and there are still some obstacles to be overcome yet towards a widespread application of this method in real production test. However, the potential of  $I_{DDT}$  test is very significant, since it can cover hard-detectable defects like opens, which is a unique feature of this test method.

This PhD thesis is dedicated to the detailed analysis and investigation of  $I_{DDT}$  test approach, where it was aimed at detection of hard-detectable defects in SRAM memory arrays. Therefore, the  $I_{DDT}$  test efficiency in covering open faults in SRAMs was carried out, where the influence of cell dimensions, array dimensions, parasitic components of the array structure and experimental test hardware was investigated. Analysis of test vectors was performed, and general rules for design for testability were proposed. Then, new conceptual approaches were proposed and analyzed in order to eliminate the effect of process variation and mismatch caused difficulties in test decision.

The main contributions of this thesis to the related field of science are the following:

- The important contribution of this work is the extensive analysis of  $I_{DDT}$  test efficiency in covering weak open faults in SRAM arrays, where its dependence on the cell ratio, cell dimensions, test hardware, leakage current and finally, the parasitic components of a realistic SRAM array was investigated. The test efficiency was based on the monitoring of four main parameters of the dynamic supply current waveform, which were the integral of the waveform (charge), the highest value of the waveform (peak value), the width of the waveform (a time interval), and the average value of the waveform. As an essential outcome of this analysis, the most efficient parameters were identified.
- From the fault modeling point of view, the performed extraction of open defects from the SRAM cell layout is another very relevant asset. The open defects were classified in three groups, based on their location in the cell. The proposed open fault classification brings more realistic fault model of opens.
- In order to reduce the test length, an investigation of tests towards the minimum test length setting was performed. Moreover, the possibility of attaching an extra  $I_{DDT}$  test to well known march memory tests was investigated, where the march test patterns important for  $I_{DDT}$  test were highlighted. Such an attachment would greatly benefit the test time and test complexity, since no change to applied tests is required.
- A set of general rules to design for  $I_{DDT}$  testability was proposed that is beneficial for future research and application of  $I_{DDT}$  test based on monitoring of the most efficient  $I_{DDT}$  parameters.
- The major contribution that is important mainly from the future research point of view, is a new conceptual delta  $I_{DDT}$  test approach (especially, the neighboring delta approach), which was developed in order to eliminate the undesired effect of process variation and parasitic components of routing wires, representing a great problem in deep sub-micron technologies. This

conceptual approach to  $I_{DDT}$  test might significantly increase the  $I_{DDT}$  test efficiency.

- An important practical contribution of this thesis is design of an experimental  $I_{DDT}$  measurement hardware in a deep sub-micron technology, which proves that despite the described difficulties, it is still possible to derive an analog output proportional to the  $I_{DDT}$  current and achieve satisfactory high efficiency in covering open faults.

## 6 Conclusion

The high scale of integration, increasing complexity and incessant technology scaling introduce new challenges for IC test engineers in terms of new failure mechanisms and IC reliability. A very actual problem of such advanced technologies is the high density of open defects, which are considered to be hard-detectable defects. Since functional test and other digital tests are not very efficient in covering open defects, new augmenting test methods are required. Theoretically, the only known method being very effective here is  $I_{DDT}$  test, however, the physical implementation of this approach in real IC testing represents a great challenge.

That was also the major motivation for our research and the main reason why the investigation of  $I_{DDT}$  test approach was chosen as the subject of this PhD thesis. In this work, a comprehensive investigation of the  $I_{DDT}$  test efficiency in covering weak open defects was done. The efficiency was investigated on simple structures as one SRAM cell, a more complex 64-bit SRAM array and a 512-byte SRAM array with parasitic components of interconnecting wires considered. The achieved efficiency is based on several parameters of the  $I_{DDT}$  waveform, where the charge carried by the waveform appeared to be the most efficient parameter. Moreover, in this work, possible march test solutions were investigated, and considerations about the design for testability were made. A new conceptual approach to  $I_{DDT}$  test implementation – *the delta  $I_{DDT}$  approach* was proposed, which by choosing the right decision criteria could further enhance the the overall efficiency of this current-based test.



From the experiments performed on SRAM arrays, it could be derived that the  $I_{DDT}$  test efficiency depends on several factors such as the cell dimensions and SRAM array complexity. Another important outcome is that the real efficiency (compared to the ideal, theoretical results) is reduced when parasitic components like leakage current and RC components of wires are considered. Despite the reduced efficiency, the results show that  $I_{DDT}$  test is a potential solution for detecting weak open defects with the value of the open resistance around 1 M $\Omega$ . Though, the realization of test hardware is still a challenge, especially in deep sub-micron technologies.

Our future research will be focused on the development of scalable hybrid measurement hardware for  $I_{DDT}$  test based on the monitoring of the charge carried by the  $I_{DDT}$  current. Also another conceptual approach is targeted, where the decision criteria is based on the particular CUT, in which only the effect of mismatch is considered to be critical. The whole concept shall be tested on an experimental integrated circuit.

## Author's publications

### Current Contents journals:

- [A11] G. Gyepes, V. Stopjakova, D. Arbet, L. Majer, and J. Brenkus. A new IDDT test approach and its efficiency in covering resistive opens in SRAM arrays. *Microprocessors and Microsystems (2014)*, DOI: <http://dx.doi.org/10.1016/j.micpro.2014.04.006>.
- [A20] D. Arbet, V. Stopjakova, L. Majer, G. Gyepes, and G. Nagy. New obist using on-chip compensation of process variations toward increasing fault detectability in analog ICs. *Nanotechnology, IEEE Transactions on*, 12(4):486–497, 2013.
- [A23] D. Arbet, V. Stopjakova, J. Brenkus, G. Gyepes, M. Kovac, and L. Majer. BIST architecture for oscillation test of analog ICs and investigation of test hardware influence. *Microelectronics Reliability*, DOI: <http://dx.doi.org/10.1016/j.microrel.2013.12.027>, 2014.

### International scientific journals:

- [A16] D. Arbet and V. Stopjakova and J. Brenkus and G. Gyepes. On-chip Parametric Test of R-2R Ladder Digital-to-Analog Converter and Its Efficiency. *International Journal of Microelectronics and Computer Science*, Vol. 3, nr 2:73–80, 2012.

### International conferences (Scopus and Web of Science):

- [A3] G. Gyepes, J. Brenkus, D. Arbet, and V. Stopjakova. Comparison of iddt test efficiency in covering opens in srams realised in two different technologies. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2011 IEEE 14th International Symposium on*, pages 395–396, 2011.
- [A5] G. Gyepes, D. Arbet, J. Brenkus, and V. Stopjakova. Application of iddt test towards increasing sram reliability in nanometer technologies. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2012 IEEE 15th International Symposium on*, pages 167–170, 2012.
- [A6] G. Gyepes, D. Arbet, L. Majer, and V. Stopjakova. An on-chip iddt current sensor based on current-to-voltage conversion. In *Applied Electronics (AE), 2012 International Conference on*, pages 87–90, 2012.
- [A8] G. Gyepes, D. Arbet, J. Brenkus, V. Stopjakova, and J. Mihalov. An on-chip dynamic supply current monitor for testing of digital circuits. In *Radioelektronika (RADIOELEKTRONIKA), 2013 23rd International Conference*, pages 156–161, 2013.
- [A10] G. Gyepes, V. Stopjakova, D. Arbet, G. Nagy and L. Majer. A robust multipurpose PLL with lock detector designed in a 0.35 um CMOS technology. In *Applied Electronics (AE), 2013 International Conference on*, pages 85–88, 2013.

- [A13] D. Arbet, J. Brenkus, G. Gyepes, and V. Stopjakova. Increasing the efficiency of analog obist using on-chip compensation of technology variations. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2011 IEEE 14th International Symposium on*, pages 71–74, 2011.
- [A14] D. Arbet, G. Gyepes, J. Brenkus, and V. Stopjakova. Obist strategy versus parametric test - efficiency in covering catastrophic faults in active analog filters. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2012 IEEE 15th International Symposium on*, pages 193–194, 2012.
- [A15] D. Arbet, G. Gyepes, J. Brenkus, V. Stopjakova, and J. Mihalov. On-chip parametric test of binary-weighted r-2r ladder d/a converter and its efficiency. In *Mixed Design of Integrated Circuits and Systems (MIXDES), 2012 Proceedings of the 19th International Conference*, pages 441–446, 2012.
- [A17] D. Arbet, G. Nagy, G. Gyepes, and V. Stopjakova. Design of rail-to-rail operational amplifier with offset cancelation in 90nm technology. In *Applied Electronics (AE), 2012 International Conference on*, pages 17–20, 2012.
- [A18] D. Arbet, G. Nagy, V. Stopjakova, and G. Gyepes. Efficiency of oscillation-based bist in 90nm cmos active analog filters. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2013 IEEE 16th International Symposium on*, pages 263–266, 2013.
- [A19] J. Brenkus, V. Stopjakova, and G. Gyepes. Numerical method for dc fault analysis simplification and simulation time reduction. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2013 IEEE 16th International Symposium on*, pages 170–174, 2013.
- [A21] V. Stopjakova, G. Nagy, D. Arbet, L. Majer and G. Gyepes. Low-power readout IC with high dynamic range for MCM-based noise dosimeter. In *Applied Electronics (AE), 2013 International Conference on*, pages 275–278, 2013.
- [A22] L. Majer, J. Mihalov, V. Stopjakova, J. Brenkus, G. Gyepes and M. Uram. Multi-communication wireless system for smart households. In *Telecommunications Forum (TELFOR), 2013 21st*, pages 272–275, 2013.
- [A25] Brenkus, J. and Stopjakova, V. and Arbet, D. and Gyepes, G. and Majer, L. A novel impedance calculation method and its time efficiency evaluation. In *Design and Diagnostics of Electronic Circuits Systems (DDECS), 2014 IEEE 17th International Symposium on*, pages 99–103, 2014.
- [A26] Arbet, D. and Nagy, G. and Stopjakova, V. and Gyepes, G. A Self-Calibrated Binary Weighted DAC in 90nm CMOS Technology. In *International Conference on Microelectronics (MIEL 2014)*, accepted for publication, 2014.

## Other conferences:

- [A2] G. Gyepes and V. Stopjakova. Efficiency of dynamic supply current testing in detecting open defects and gate oxide shorts in static ram cells. In *Počítačové architektury a diagnostika 2010, Česko-slovenský seminár pro studenty doktorského studia.*, page 27–32, 2010.
- [A7] G. Gyepes and V. Stopjakova. Application of  $i_{DDT}$  test in sram arrays towards efficient detection of weak opens. In *Počítačové architektury a diagnostika 2010, Česko-slovenský seminár pro studenty doktorského studia.*, page 139–144, 2012.
- [A12] J. Mihalov, V. Stopjakova, L. Nagy, G. Gyepes and D. Arbet. Investigation of 4th Order Loop Filter Behavior with the First Discrete Time Integrator. In *AIM 2009. International Symposium on Advances in Mechatronics*, pages 30–37, 2009.
- [A1] G. Gyepes and V. Stopjakova. Efficiency of dynamic supply current testing in detecting open defects in static ram cells. In *Elitech '10, 2010 12th Conference of Doctoral Students*, 2010.
- [A4] G. Gyepes and V. Stopjakova. Application of  $i_{DDT}$  test towards increasing sram reliability in nanometer technologies. In *Počítačové architektury a diagnostika 2010, Česko-slovenský seminár pro studenty doktorského studia.*, page 91–96, 2011.
- [A9] G. Gyepes, V. Stopjakova, D. Arbet, J. Mihalov, and L. Majer. Built-in test for srams using dynamic supply current monitoring. In *Proceedings of ADEPT, 1st International Conference on Advances in Electronic and Photonic Technologies*, pages 177–180, 2013.
- [A24] Brenkus, J. and Stopjakova, V. and Arbet, D. and Gyepes, G. and Majer, L. Impedance Calculation Methodology for Fault Simulation of Analog and Mixed-signal Circuits. In *Radioelektronika (RADIOELEKTRONIKA), 2014 24rd International Conference*, 4 pages, 2014.

## References

(Number of references in PhD Thesis: 108)

- [1] Sachdev, Manoj and Gyvez, José Pineda de, *Defect-Oriented Testing for Nano-Metric CMOS VLSI Circuits (Frontiers in Electronic Testing)*. Secaucus, NJ, USA: Springer-Verlag New York, Inc., 2007.
- [2] Alorda, B. and Rosales, M. and Soden, J. and Hawkins, C. and Segura, J., “Charge based transient current testing (CBT) for submicron CMOS SRAMs,” in *Test Conference, 2002. Proceedings. International*, pp. 947–953, 2002.
- [3] Pavlov, Andrei and Sachdev, Manoj, *CMOS SRAM Circuit Design and Parametric Test in Nano-Scaled Technologies: Process-Aware SRAM Design and Test*. Springer Publishing Company, Incorporated, 1st ed., 2008.
- [4] Soden, Jerry M. and Hawkins, Charles F. and Gulati, Ravi K. and Mao, Weiwei, “IDDQ testing: A review,” *J. Electronic Testing*, vol. 3, pp. 291–303, 1992.
- [5] Frenzel, J. F. and Marinos, P. N., “Power Supply Current Signature (PSCS) Analysis: A New Approach to System Testing,” in *Test Conference, 1987. Proceedings., International*, pp. 125–135, 1987.
- [6] Guibane, B. and Hamdi, B., “DFT for analog and mixed signal IC based on IDDQ scanning,” in *Mixed Design of Integrated Circuits and Systems (MIXDES), 2012 Proceedings of the 19th International Conference*, pp. 431–435, 2012.
- [7] Caravella, J.S. and Mietus, D.F. and Quigley, J.H., “Circuit techniques for standby mode/Iddq test compatible voltage comparators,” in *ASIC Conference and Exhibit, 1995., Proceedings of the Eighth Annual IEEE International*, pp. 216–217, 1995.
- [8] Burns, M. and Roberts, G., W., *An introduction to mixed-signal IC test and measurement*. Oxford University Press, USA, 2000.
- [9] Gizopoulos, Dimitris, *Advances in Electronic Testing: Challenges and Methodologies*. Springer-Verlag New York, Inc., 2006.
- [10] Plusquellic, J.F. and Chiarulli, D.M. and Levitan, S.P., “Digital integrated circuit testing using transient signal analysis,” in *Test Conference, 1996. Proceedings., International*, pp. 481–490, 1996.
- [11] Jian Liu and Makki, R.Z. and Kayssi, A., “Dynamic power supply current testing of CMOS SRAMs,” in *Test Symposium, 1998. ATS '98. Proceedings. Seventh Asian*, pp. 348–353, 1998.
- [12] Jiang Shuyan and Chen Guangju and Xuan, Xie, “A Research on IDDT Test Pattern Generation Algorithm Based on Digragh Model,” in *Communications, Circuits and Systems, 2007. ICCAS 2007. International Conference on*, pp. 1189–1192, 2007.

- [13] Yoon, D-H and Kim, H-S and Kang, S., “Dynamic power supply current testing for open defects in CMOS SRAMs,” *ETRI Journal*, vol. 23, pp. 77–84, 2001.
- [14] Makki, R.Z. and Shyang-Tai Su and Nagle, T., “Transient power supply current testing of digital CMOS circuits,” in *Test Conference, 1995. Proceedings., International*, pp. 892–901, 1995.
- [15] Arumi, D. and Rodriguez-Montaes, R. and Figueras, J., “Experimental Characterization of CMOS Interconnect Open Defects,” *Computer-Aided Design of Integrated Circuits and Systems, IEEE Transactions on*, vol. 27, no. 1, pp. 123–136, 2008.
- [16] Montanes, R.R. and de Gyvez, J.P. and Volf, P., “Resistance characterization for weak open defects,” *Design Test of Computers, IEEE*, vol. 19, no. 5, pp. 18–26, 2002.
- [17] Feng Zhang and Ge Zhang and Yi Yang and Jun Wang, “An Effective Approach For Subthreshold And Gate Leakage Power Estimation Of SRAM,” in *Integrated Circuits, 2007. ISIC '07. International Symposium on*, pp. 325–328, 2007.